## Trigonometry Difficulty: Hard

## Question Paper 1

| Level | IGCSE |
| :--- | :--- |
| Subject | Maths (0580/0980) |
| Exam Board | CIE |
| Topic | Trigonometry |
| Paper | Paper 4 |
| Difficulty | Hard |
| Booklet | Question Paper 1 |

Time allowed:
Score:
Percentage:
/100

## Grade Boundaries:

CIE IGCSE Maths (0580)

| A* | A | B | C | D |
| :--- | :--- | :--- | :--- | :--- |
| $>83 \%$ | $67 \%$ | $51 \%$ | $41 \%$ | $31 \%$ |

CIE IGCSE Maths (0980)

| 9 | 8 | 7 | 6 | 5 | 4 |
| :--- | :--- | :--- | :--- | :--- | :--- |
| $>95 \%$ | $87 \%$ | $80 \%$ | $69 \%$ | $58 \%$ | $46 \%$ |



NOT TO
SCALE

The diagram shows a quadrilateral $A B C D$.
(a) The length of $A C$ is $x \mathrm{~cm}$.

Use the cosine rule in triangle $A B C$ to show that $2 x^{2}-17 x-168=0$.
(b) Solve the equation $2 x^{2}-17 x-168=0$.

Show all your working and give your answers correct to 2 decimal places.
(c) Use the sine rule to calculate the length of $C D$.
(d) Calculate the area of the quadrilateral $A B C D$.


NOT TO
SCALE

The diagram shows a field $A B C D$.
(a) Calculate the area of the field $A B C D$.
(b) Calculate the perimeter of the field $A B C D$.
(c) Calculate the shortest distance from $A$ to $C D$.
(d) $B$ is due north of $A$.

Find the bearing of $C$ from $B$.


The diagram shows five straight footpaths in a park.
$A B=220 \mathrm{~m}, A C=180 \mathrm{~m}$ and $A D=170 \mathrm{~m}$.
Angle $A C B=90^{\circ}$ and angle $D A C=33^{\circ}$.
(a) Calculate $B C$.
(b) Calculate $C D$.
(c) Calculate the shortest distance from $D$ to $A C$.
(d) The bearing of $D$ from $A$ is $047^{\circ}$.

$$
\text { Calculate the bearing of } B \text { from } A \text {. }
$$

(e) Calculate the area of the quadrilateral $A B C D$.


The diagram shows a field, $A B C D$.
$A D=180 \mathrm{~m}$ and $A C=240 \mathrm{~m}$.
Angle $A B C=50^{\circ}$ and angle $A C B=85^{\circ}$.
(a) Use the sine rule to calculate $A B$.
(b) The area of triangle $A C D=12000 \mathrm{~m}^{2}$.

Show that angle $C A D=33.75^{\circ}$, correct to 2 decimal places.
(c) Calculate $B D$.
(d) The bearing of $D$ from $A$ is $030^{\circ}$.

Find the bearing of
(i) $B$ from $A$,
(ii) $A$ from $B$.

NOT TO


A plane flies from $A$ to $C$ and then from $C$ to $B$.
$A C=510 \mathrm{~km}$ and $C B=720 \mathrm{~km}$.
The bearing of $C$ from $A$ is $135^{\circ}$ and angle $A C B=40^{\circ}$.
(a) Find the bearing of
(i) $B$ from $C$,
(ii) $C$ from $B$.
(b) Calculate $A B$ and show that it rounds to 464.7 km , correct to 1 decimal place.
(c) Calculate angle $A B C$.
(a)


In the triangle $P Q R, Q R=7.6 \mathrm{~cm}$ and $P R=8.4 \mathrm{~cm}$.
Angle $Q R P=62^{\circ}$.
Calculate
(i) $P Q$,
(ii) the area of triangle $P Q R$.
(b)


The diagram shows the positions of three small islands $G, H$ and $J$.
The bearing of $H$ from $G$ is $045^{\circ}$.
The bearing of $J$ from $G$ is $126^{\circ}$.
The bearing of $J$ from $H$ is $164^{\circ}$.
The distance $H J$ is 63 km .
Calculate the distance $G J$.

The diagram shows the positions of two ships, $A$ and $B$, and a coastguard station, $C$.


NOT TO SCALE
(a) Calculate the distance, $A B$, between the two ships.

Show that it rounds to 138 km , correct to the nearest kilometre.
(b) The bearing of the coastguard station $C$ from ship $A$ is $146^{\circ}$.

Calculate the bearing of $\operatorname{ship} B$ from ship $A$.
(c)


At noon, a lighthouse, $L$, is 46.2 km from ship $B$ on the bearing $021^{\circ}$.
Ship $B$ sails north west.
Calculate the distance ship $B$ must sail from its position at noon to be at its closest distance to the lighthouse.

